* LogMIP Input File for Small example 2 SET I /1*3/; SET J /1*2/: SCALAR M /100/; BINARY VARIABLES Y(I); POSITIVE VARIABLES X(J), C; VARIABLE Z: EQUATIONS EQUAT1, EQUAT2, EQUAT3, EQUAT4, EQUAT5, EQUAT6, DUMMY, OBJECTIVE; EQUAT1.. X('2')-X('1') + 2 = L=0;EQUAT2.. C =E= 5 ; EQUAT3.. 2 - X('2') =L= 0; EQUAT4.. C =E= 7; X('1')-X('2') =L= 1; EQUAT5.. EQUAT6.. X('1') =E=0; DUMMY.. SUM(I, Y(I)) =G= 0; OBJECTIVE.. $Z = E = C + 2^*X('1') + X('2');$ X.UP(J)=5; C.UP=7; \$ONECHO > "%lm.info%" **DISJUNCTION D1, D2;** D1 IS IF Y('1') THEN OBSERVE the different syntax used to EQUAT1; pose a two term disjunction where each EQUAT2; term must satisfy a TRUE condition ELSIF Y('2')THEN (handled by two different variables) EQUAT3; against a two term disjunction with one EQUAT4; TRUE term condition and the other with ENDIF; a FALSE one (handled by the same variable). D2 IS IF Y('3') THEN EQUAT5; ELSE EQUAT6; ENDIF: $Y('1') \rightarrow not Y('3');$ This constraints are in the $Y('2') \rightarrow not Y('3');$ form of logic propositions $Y('3') \rightarrow not Y('2');$ **\$OFFECHO** LMBIGM is the solver, which **OPTION MIP=LMBIGM**

MODEL PEQUE2 /ALL/; SOLVE PEQUE2 USING MIP MINIMIZING Z; LMBIGM is the solver, which generates a MIP problem by applying the <u>BigM relaxation</u> of a disjunctive set. Then a conventional B&B algorithm solves the MIP GAMS Input file generated by the application.